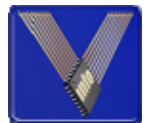


EXTENDED-DESYNC

**A Desynchronized TDMA Protocol for WSNs
- An Energetic and Temporal Analysis**





- Motivation
- DESYNC / EXTENDED-DESYNC
- Energy
- Latency
- Conclusion & Outlook

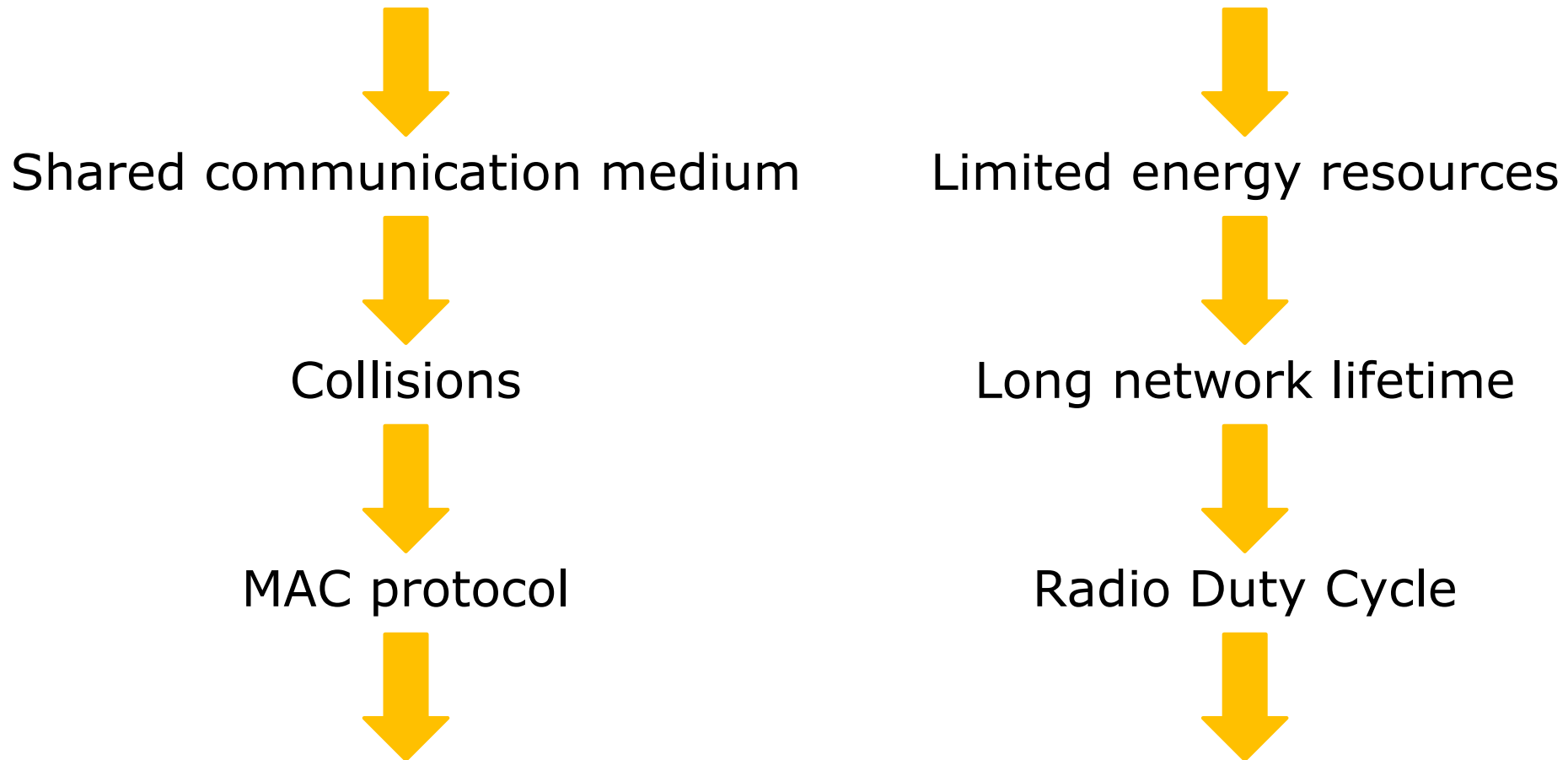
Motivation

Why and what for such
a MAC Protocol?





Wireless Sensor Networks



DESYNC / EXTENDED-DESYNC

DESYNC / EXTENDED-DESYNC

What's behind and
how does it work?





Biologically inspired primitive of Desynchronization:

Each oscillator (e.g. periodically transmitting sensor node) tries to maximize its relative time lag to its immediate neighbors.

- Set N of nodes with
 - Unique identifier i
 - Identical frequency $\omega \rightarrow$ common period $T = \frac{1}{\omega}$
 - T must support **at least** n participators
 - Single-hop: $n = |N|$,
 - Multi-hop: $n =$ size of maximum two-hop clique
- Symmetrical links
- Carrier Sense just before any transmission
- Communication range \approx Interference range



- Phase $\phi_i \in [0.0, 1.0]$ of node i
(elapsed time since last firing as percentage of period T)
- At $\phi_i = 1.0$, node i resets $\phi_i = 0.0$ and broadcasts *firing packet*
- Previous phase neighbor $p(i)$ (fires just before node i)
- Successive phase neighbor $s(i)$ (fires just after node i)
- With $\phi_{p(i)}$, $\phi_{s(i)}$ and $\alpha \in (0.0, 1.0)$

→ Next phase $\phi_i' = (1 - \alpha) \cdot \phi_i + \alpha \cdot \frac{\phi_{s(i)} + \phi_{p(i)}}{2}$

→ Global state $\vec{\phi} = [\phi_1, \phi_2, \dots, \phi_{|N|}]^T$ (generally indeterminable by node i)

Desynchrony (stable system state):

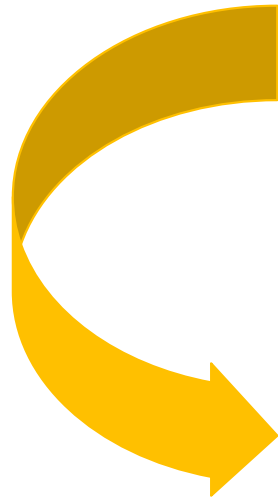
Any node has equal temporal distance to its phase neighbors.

(EXTENDED-)DESYNC converges → desynchrony is demonstrably reachable.

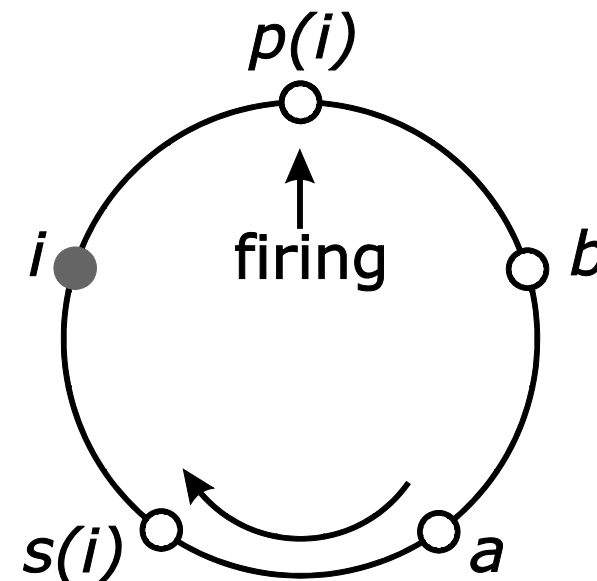
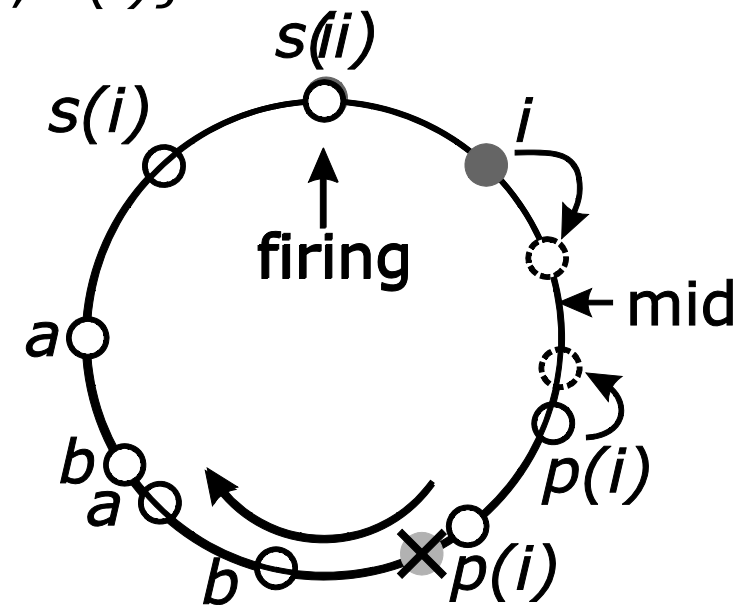


- Single-hop topology, $N = \{a, b, p(i), i, s(i)\}$

- During settling: $\vec{\phi} = \begin{pmatrix} \phi_a = 0.80 \\ \phi_b = 0.50 \\ \phi_{p(i)} = 0.30 \\ \phi_i = 0.00 \\ \phi_{s(i)} = 0.80 \end{pmatrix}$

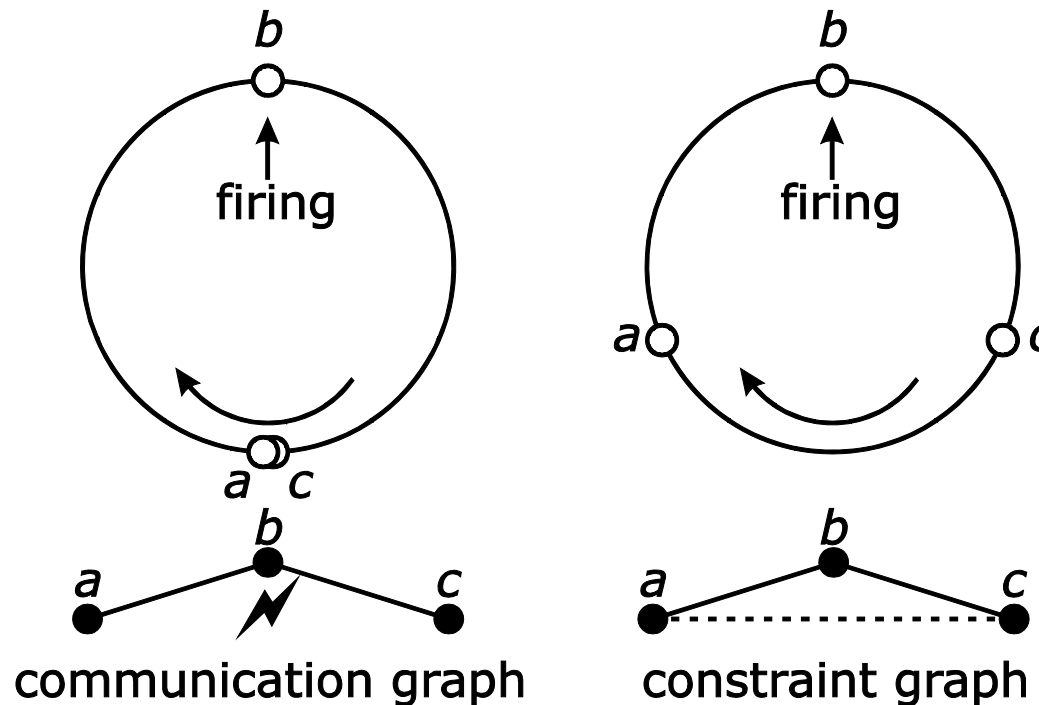


- Desynchronized: $\vec{\phi} = \begin{pmatrix} \phi_a = 0.40 \\ \phi_b = 0.20 \\ \phi_{p(i)} = 0.00 \\ \phi_i = 0.80 \\ \phi_{s(i)} = 0.60 \end{pmatrix}$





Multi-hop topologies: Hidden Node Problem:



Our Solution:

Each node broadcasts its list of one-hop neighbors at its firing
 → Potential hidden (*two-hop*) neighbors become known

(For deeper insight into EXTENDED-DESYNC, e.g. its adaptability, fault-tolerance and flexibility see C. Mühlberger, R. Kolla *Extended Desynchronization for Multi-Hop Topologies*, TR 460, Institut für Informatik, Universität Würzburg, July 2009)

Energy

How much energy can be saved
and in what way?





here: optimal desynchronized system

1. T into n frames $F(i)$ of equal length $|F(i)| = f$

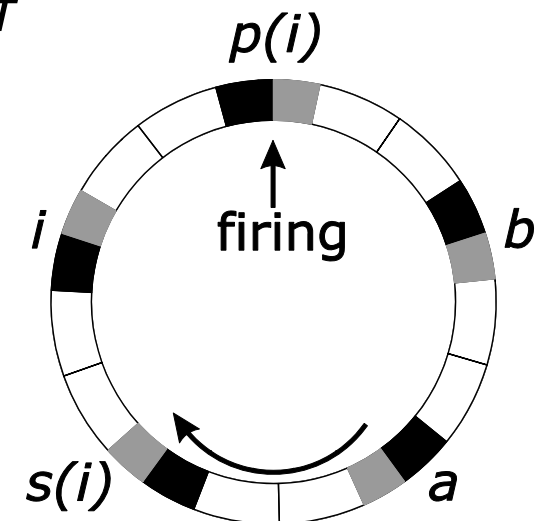
2. $F(i)$ again into k slots $F(i, j), 1 \leq j \leq k$

$F(i, 1)$ of length f_f always *firing slot*,

- to cover Hidden Node Problem, and
- to stay „up-to-date“,

remaining ones as *data slots* of length f_k

3. Safety gap σ between any frame, $|\sigma| = \varepsilon \cdot f_f$



- safety gap
- firing slot
- data slot

→ Turn off radio unit at unused or unattractive data slots to save energy!



Gain of energy $\gamma_i = \frac{T - \Delta t_{i,RF}}{T}$ at minimal period $T = n \cdot f$

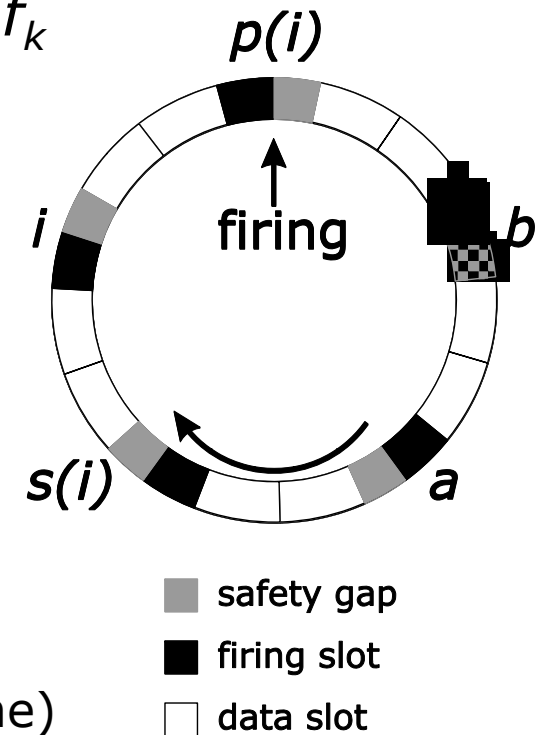
a) Length of firing slot \neq length of data slot f_k

$$\gamma_i = \frac{(k-1) \cdot f_k}{f} \quad (\text{ratio of data slots per frame})$$

Just $\eta \leq n - 1$ firing slot mandatory
(e.g. all one-hop neighbors)

$$\gamma_i^\eta = \frac{\left(\frac{n-\eta-1}{n}\right) \cdot (1 + \varepsilon) \cdot f_f + (k-1) \cdot f_k}{f}$$

(ratio of data and unimportant firing slots per frame)





Gain of energy $\gamma_i = \frac{T - \Delta t_{i,RF}}{T}$ at minimal period $T = n \cdot f$

b) Length of firing slot = length of data slot f_k

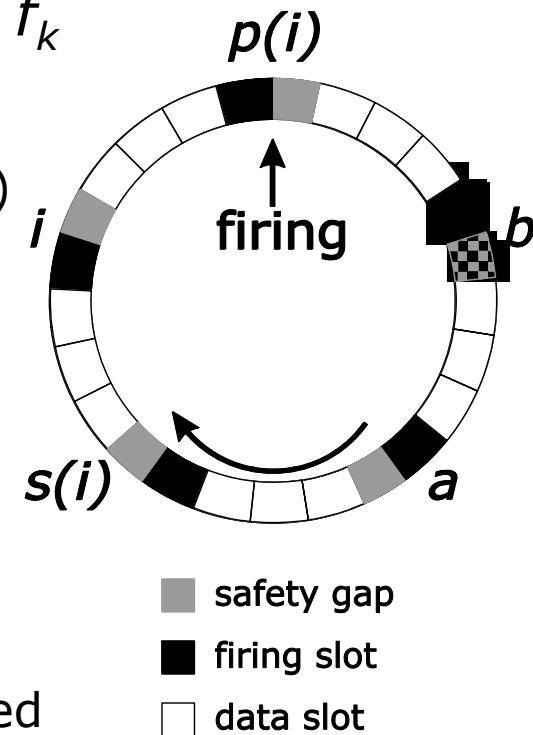
$$\gamma_i = \frac{k - 1}{k + \varepsilon} \quad (\text{number of data slots divided by total number of slots and safety gap factor})$$

Just $\eta \leq n - 1$ firing slot mandatory

(e.g. all one-hop neighbors)

$$\gamma_i^\eta = \frac{k - 1 + (1 + \varepsilon) \cdot \left(\frac{n - \eta - 1}{n}\right)}{k + \varepsilon}$$

(number of data and unimportant firing slots divided by total number of slots and safety gap factor)



If there are no data slots ($k=1$) to power down radio unit, there is just little energy-saving possible!



- Power-down radio unit for several periods and keep old slots
 - Clock drift may now cause collisions
 - Additional administrative costs

- Power-down radio unit for several periods but leave network
 - Costly re-joining (completely new frame/slot assignment)

- Pad period T out to prolong sleep time
 - Also increases latency

Latency

What's the minimal latency and
it is influenced by what?





- Firing packets contain list of one-hop neighbors

→ Length of firing slot depends on $n \rightarrow f_f = \beta \cdot n$

- a) Just firing slots, but no data slots

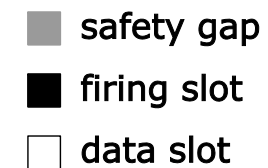
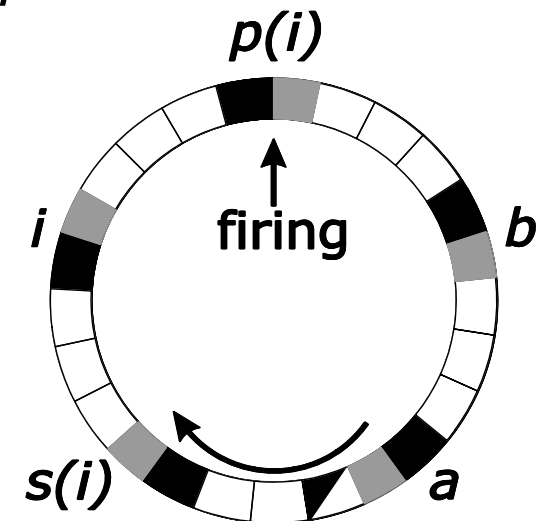
$$T = (1 + \varepsilon) \cdot \beta \cdot n^2$$

- b) Firing slots and data slots (of length δ)

$$T = (1 + \varepsilon) \cdot \beta \cdot n^2 + \delta \cdot n$$

- c) Firing slot as **base unit**, i.e. $\delta = \delta_0 \cdot \beta \cdot n$

$$T = (1 + \varepsilon + \delta_0) \cdot \beta \cdot n^2$$



Period T grows with the square of n !

→ Trade-off between energy savings and latency

Conclusion & Outlook

**What was shown and
what is subject to future research?**





Conclusion:

- EXTENDEND-DESYNC as TDMA MAC protocol:
 - Framework and operating mode
- Energetic and Temporal Analysis:
 - **Trade-off** Energy-saving ↔ Latency
 - Save most energy during data slots
 - Period T strongly depends on n

Outlook:

- Balance out some parameters for real-world employments
- Complete, stabilize and strengthen our multi-hop extension
- Integrate further services, e.g. time synchronization, routing

Thank You!

Any questions?

